

Choose a paper for presentation in parts from the special section on Bayesian Modelling in International Journal of Approximate Reasoning, Vol. 50, No. 3 (March 2009), edited by Linda van der Gaag and Russell Almond

- 1) Planning for success: the interdisciplinary approach to building Bayesian models
- 2) Verifying monotonicity of Bayesian networks with domain experts
- 3) Modeling human reasoning about meta-information
- 4) Bayesian networks: A teacher's view

5) Preventing knowledge transfer errors: Probabilistic decision support systems through the users' eyes.
Your choice?

* Ben Fine & Nick Stiffler : paper #4 April 15

1. **Reflexivity.** For any lottery A , $A \succeq A$

2. **Completeness.** For any pair (A, B) of lotteries, $A \succeq B$ or $B \succeq A$.

3. **Transitivity.** If $A \succeq B$ and $B \succeq C$, then $A \succeq C$.

4. **Preference increasing with probability.** If $A \succeq B$ then $\alpha A + (1 - \alpha)B \succeq \beta A + (1 - \beta)B$ if and only if $\alpha \geq \beta$.

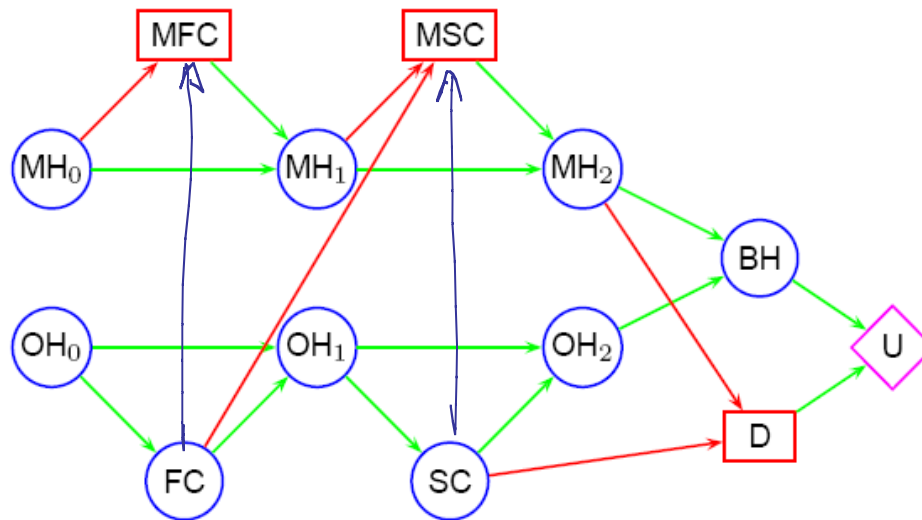
5. **Continuity.** If $A \succeq B \succeq C$ then there exists $\alpha \in [0, 1]$ such that $B \sim \alpha A + (1 - \alpha)C$

6. **Independence.** If $C = \alpha A + (1 - \alpha)B$ and $A \sim D$, then $C \sim (\alpha D + (1 - \alpha)B)$.

Theorem: For an individual who acts according to a preference ordering satisfying rules 1-6 above, there exists a utility function over the outcomes s.t. the expected utility is maximized.

Influencer Diagrams (Sect. 9.14 [JO7])

A better representation (an influence diagram):

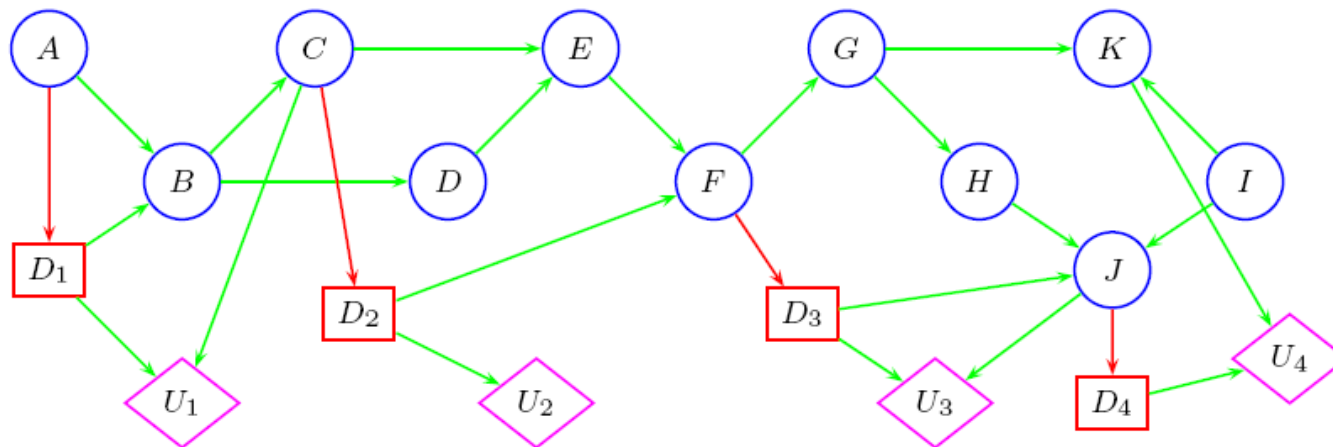


Advantages:

- You can read the sequence of decisions.
- You can read what is known at each point of decision.

$\{MH_0\} \prec MFC \prec \{MH_1, FC\}$
 $\prec MSC \prec \{SC, MH_2\} \prec D \prec$
 $\{OH_0, OH_1, OH_2, BH\}$

$\{MH_0, FC\} \prec MFC \prec \{MH_1, SC\} \prec MSC \prec \{MH_2\} \prec D \prec \{OH_0, OH_1, OH_2, BH\}$



Nodes and links:

- Chance variable → causal links
- Decision variable → information links
- ◇ Utility function → utility link, $U = \sum_i U_i$.

Note:

- We assume no-forgetting.
- A directed path comprising all decisions $\Rightarrow$ the scenario is well-defined.

$\{A\} < D_1 < \{C\} < D_2 < \{F\} < D_3 < \{J\} < D_4 < \{B, D, E, G, H, I, K\}$