

Online Vibration Signal Compensation with LSTM and Low-Rank Approximation

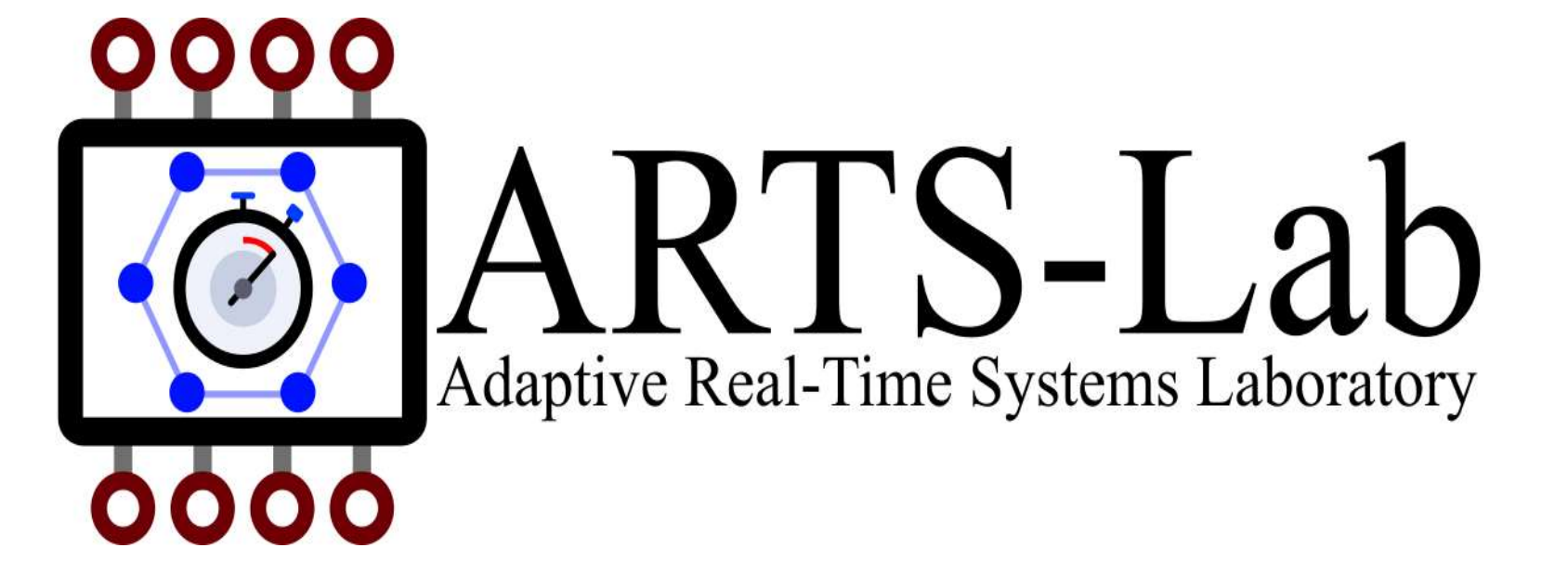
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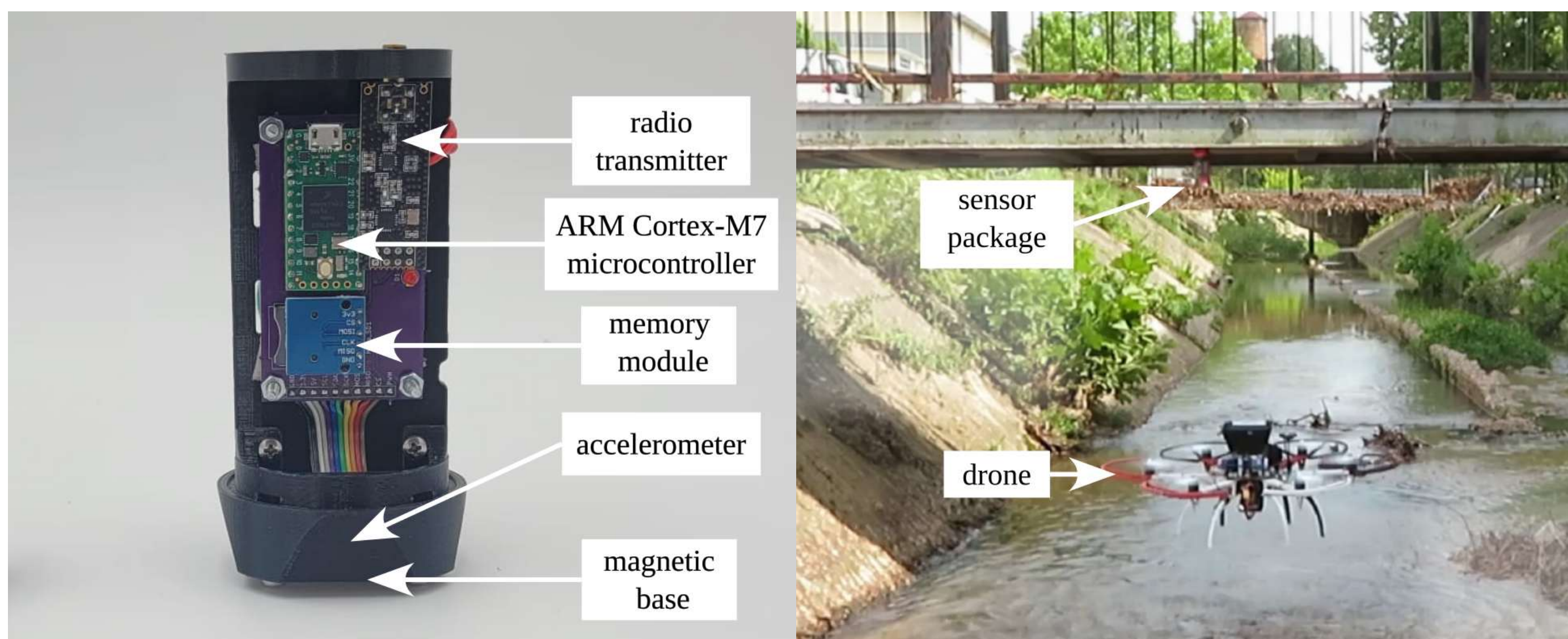
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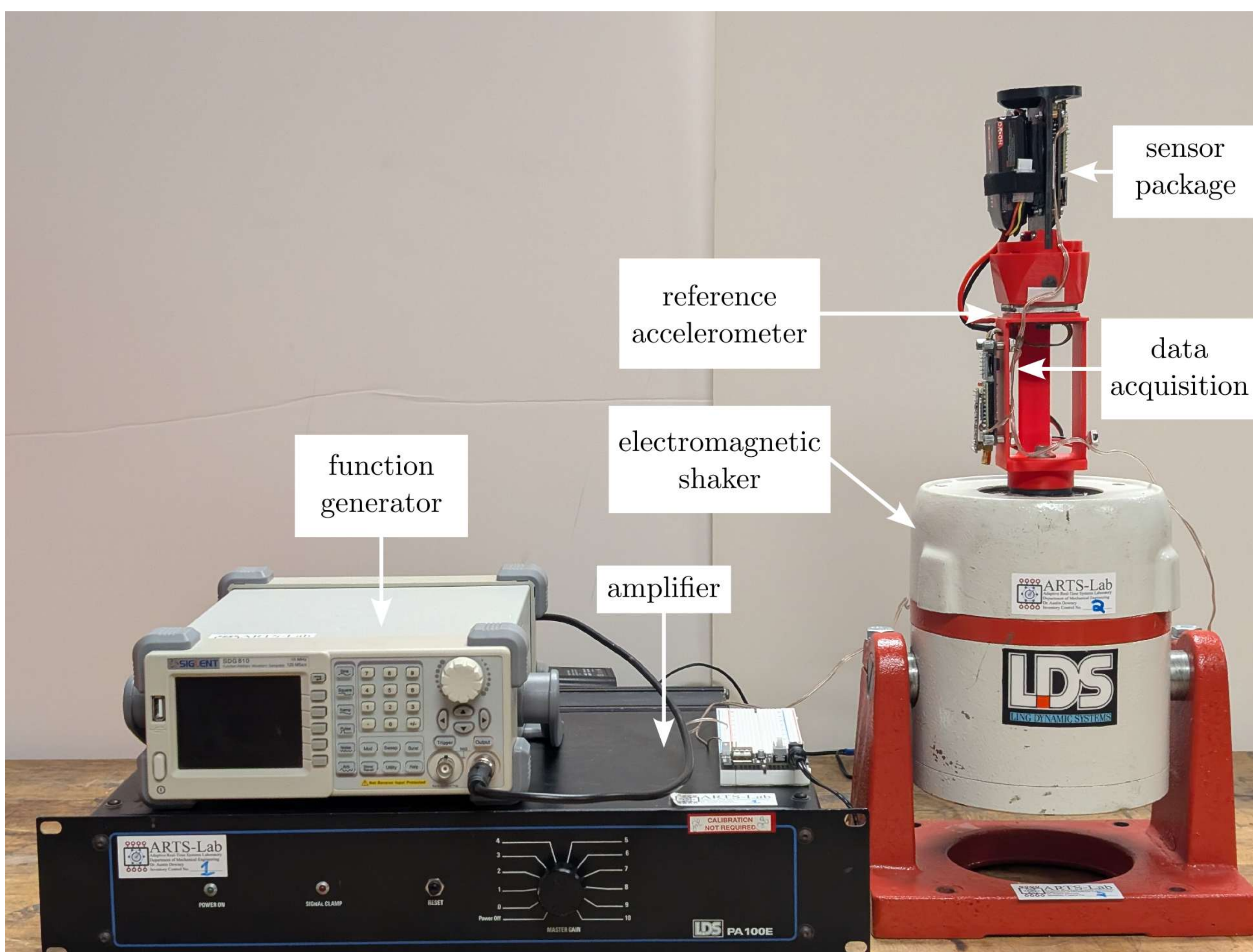
Background



SHM sensing node deployment



Drone-deployable sensor package



Experimental setup

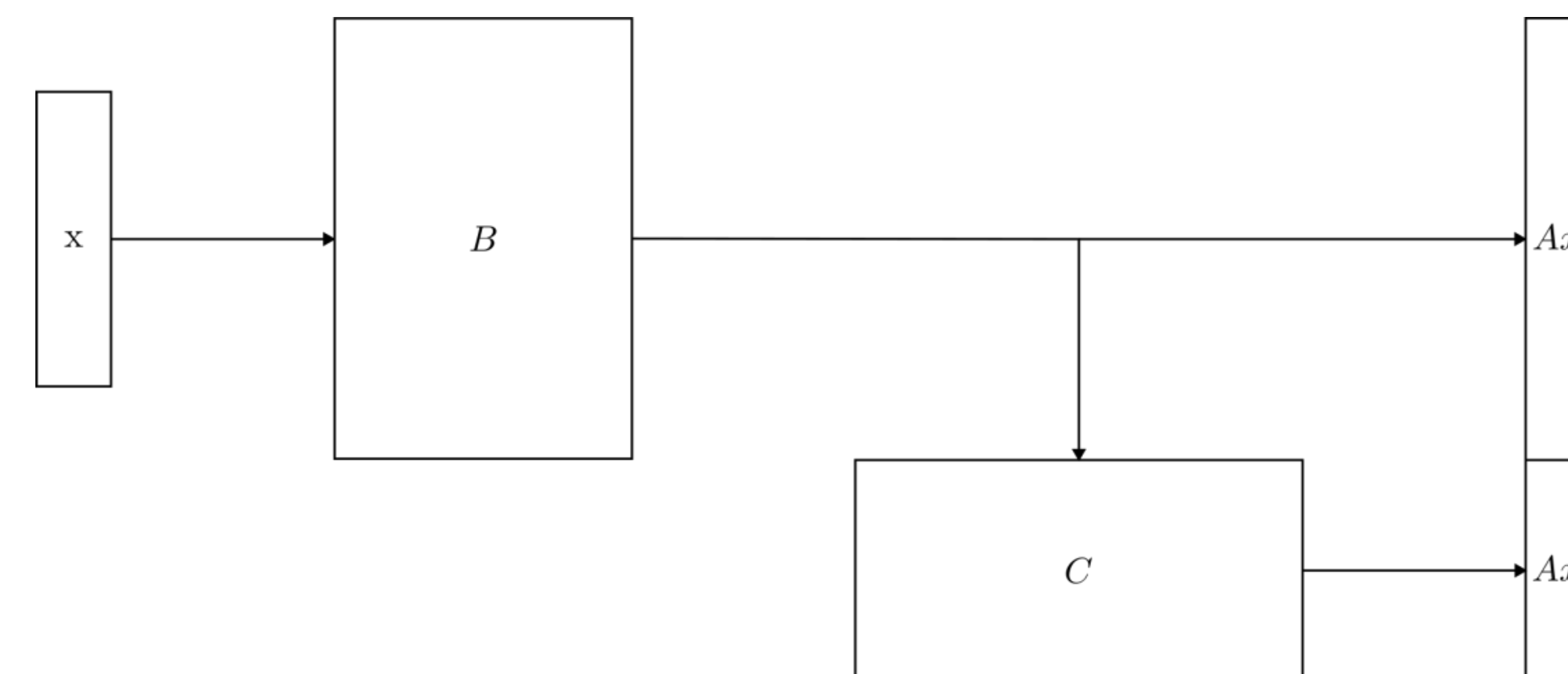
Degrees-of-Freedom Decomposition

$$Ax_1 = Bx \quad Ax_2 = Cx_1 \quad Ax = P \begin{bmatrix} Ax_1 \\ Ax_2 \end{bmatrix}$$

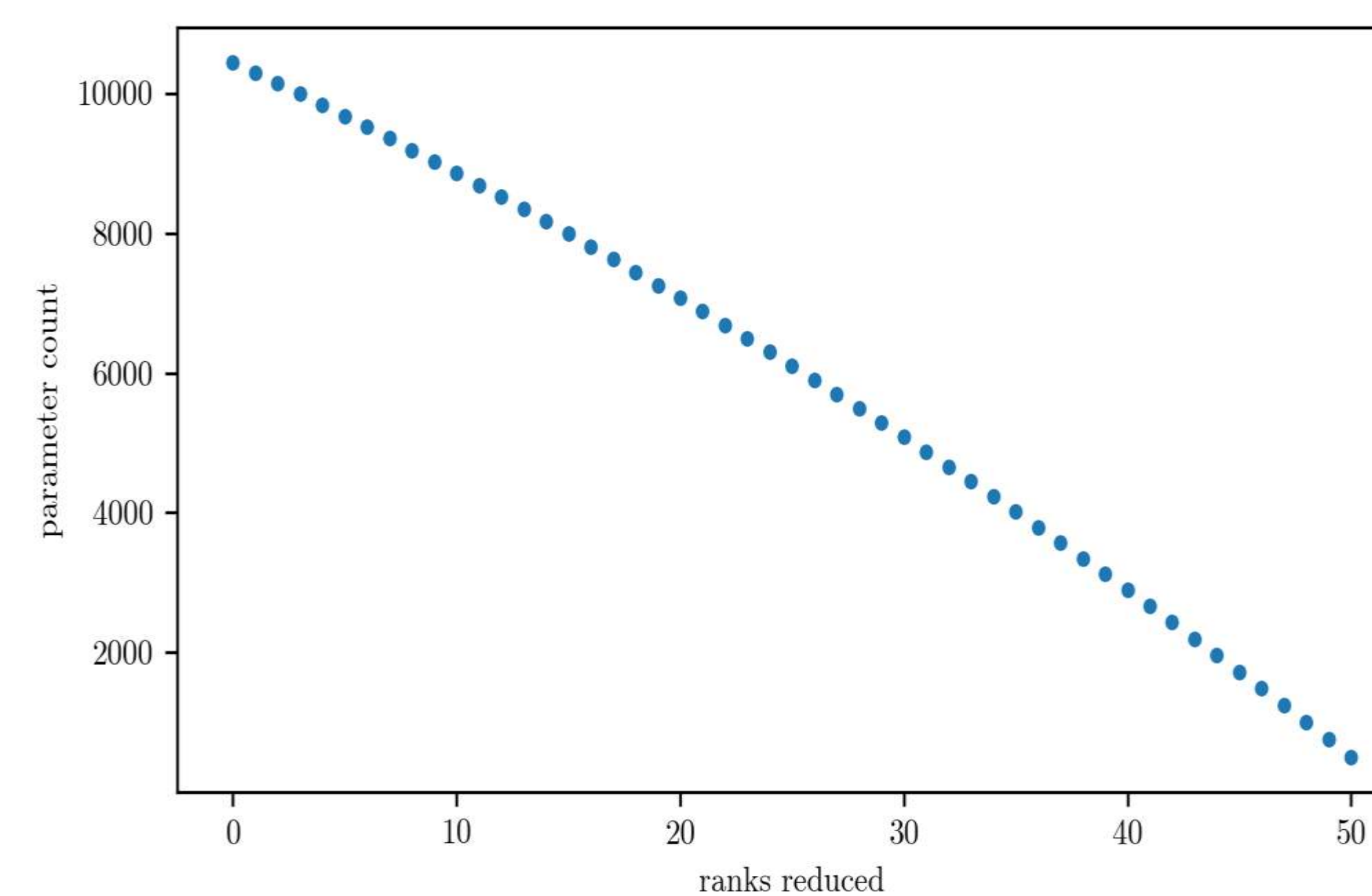
$$U = \begin{bmatrix} U_1 \\ U_2 \end{bmatrix} \quad B = U_1 \Sigma V^T \quad C = U_2 U_1^{-1}$$

$$B: r \times n \quad C: (m-r) \times r$$

Degrees-of-freedom decomposition definition



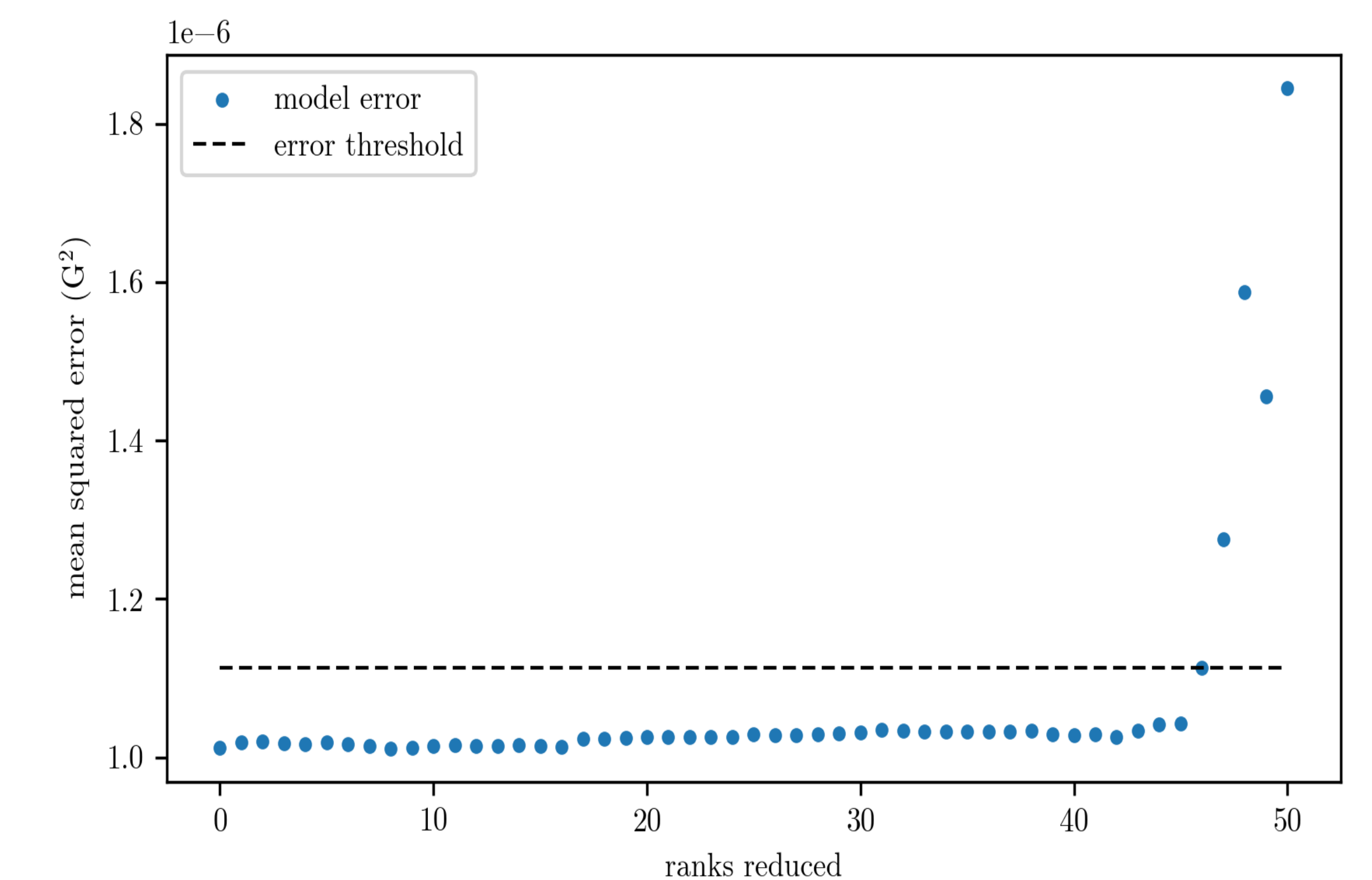
Degrees-of-freedom matrix-vector multiplication



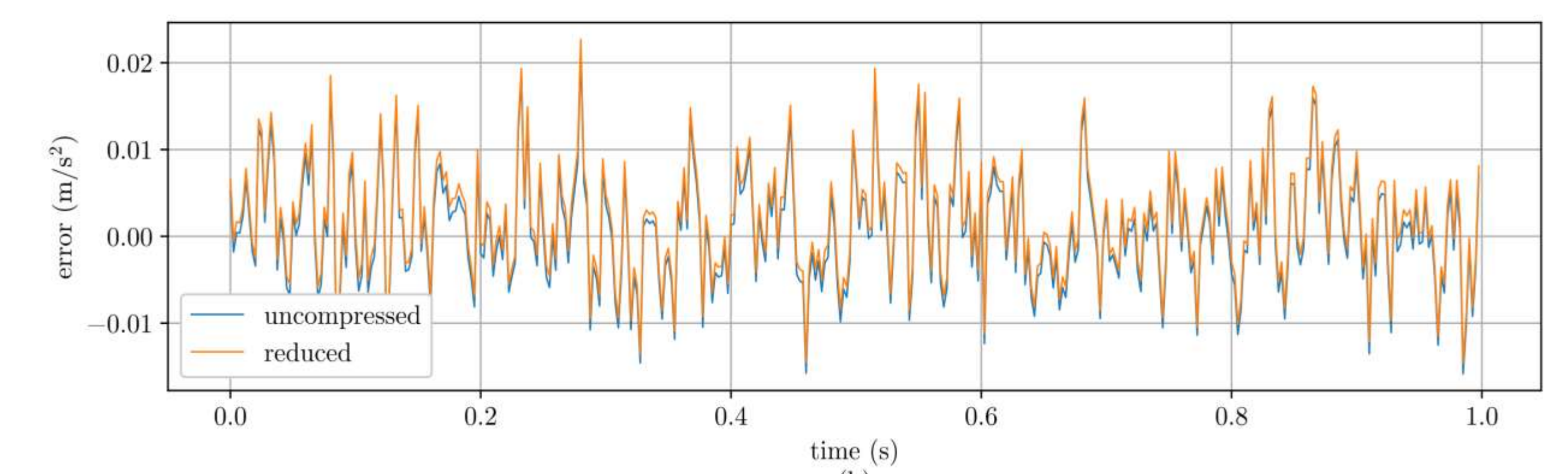
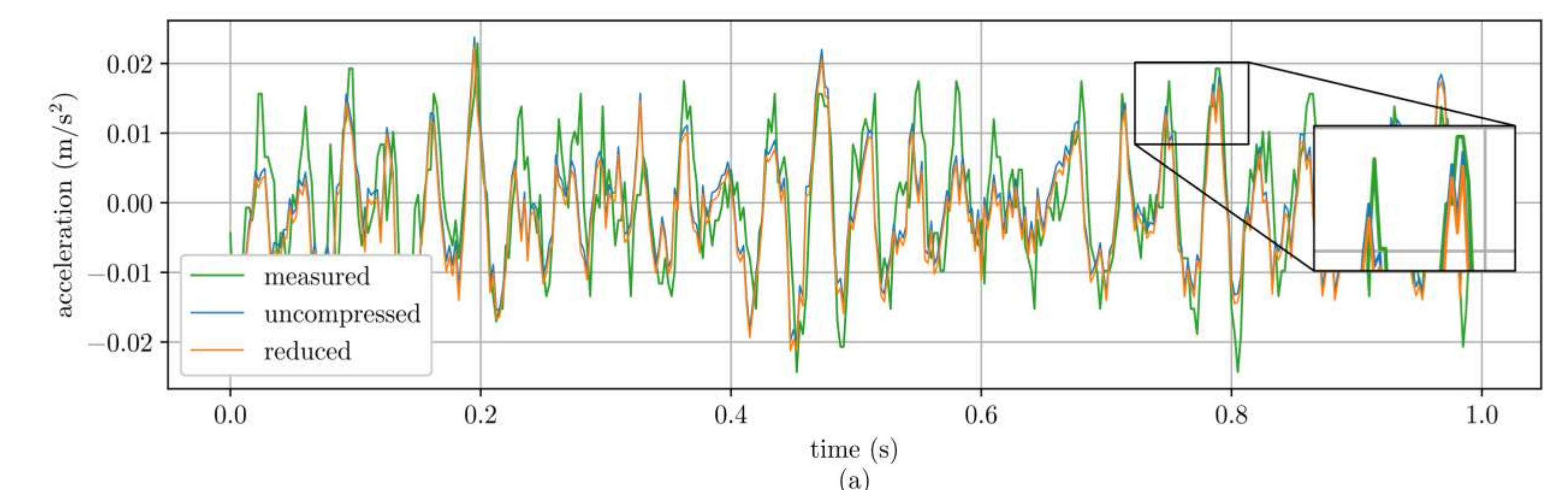
Compensation model parameter count

- Reduces the number of parameters and operations required for inference
- Removes barrier-to-entry associated with direct use of SVD
- Generalizable to any application requiring matrix-vector multiplication

Performance



Error by reduction amount



Model performance

Conclusion

- LSTM is shown to be an effective non-linear compensator
- The LSTM weight matrix was reduced from rank 51 to rank 6 using truncated SVD
- Degrees-of-freedom decomposition allowed for significant spatial and computational savings
 - Memory footprint improved to 6,884B from 41,804B
 - Inference latency improved to 40μs from 201μs

